

Aaron Chou ①
6/9/2000

B Decay Charm Counting

via

Topological Vertexing

②

Strategy

Do a 4 parameter fit to ^{some} ~~the~~ data histogram

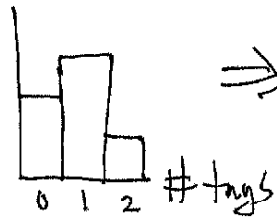
$$F_i = a_0 M_{0i} + a_1 M_{1i} + a_2 M_{2i} + a_b M_{bi}$$

where the M_i 's are characteristic shape histograms derived from the Monte Carlo for the

$b \rightarrow \phi c, 1c, 2c$, and background components respectively

In principle, we can extract $(N_{\text{bins}} - 1)$ pieces of information.

This is similar to the R_b measurement



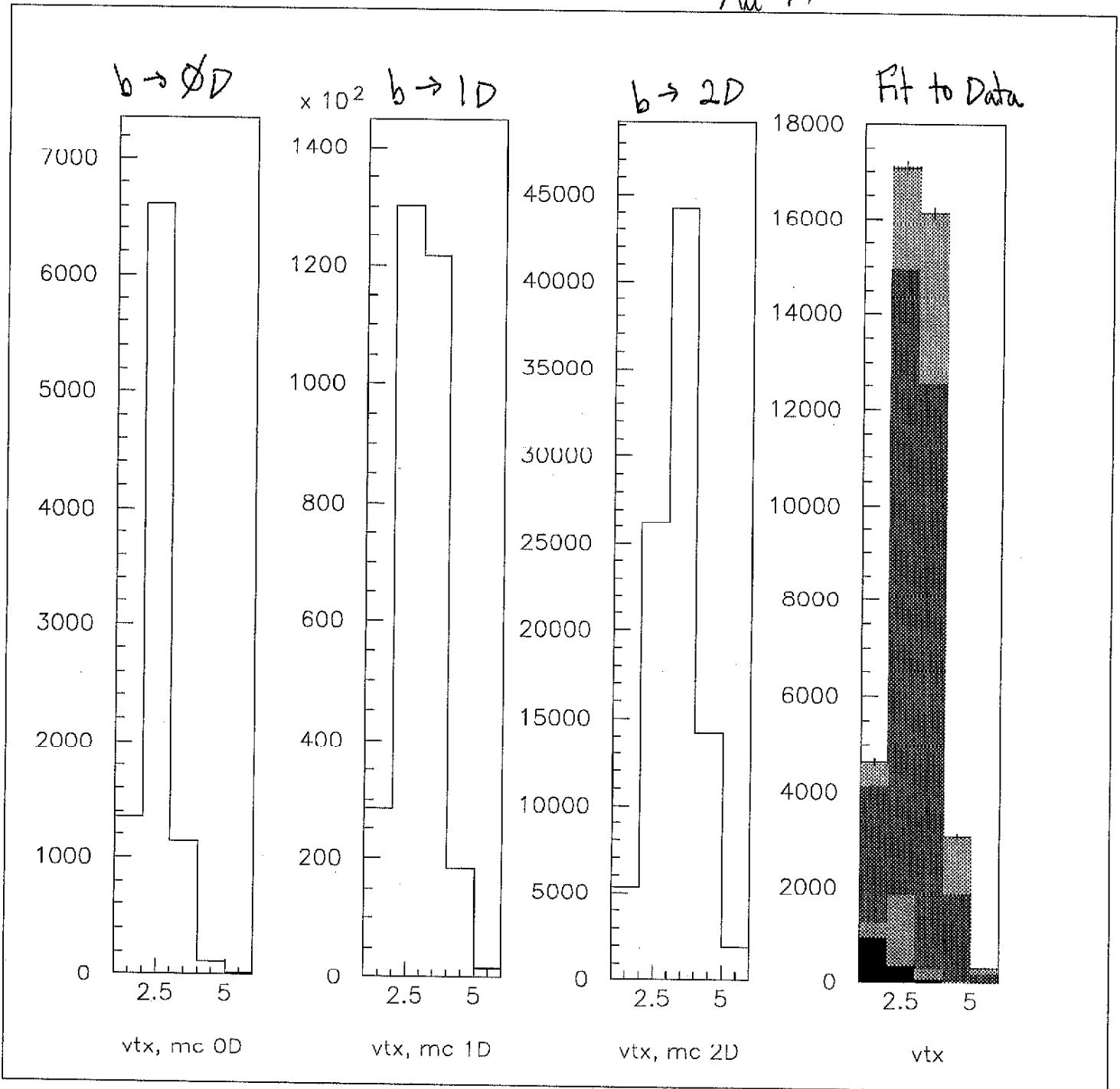
\Rightarrow Assume MC purity π and fit for R_b, ϵ .

Alternatively, assume MC ϵ and fit for R_b, π .

12/8/99 ③

$$\# \text{ vtx} = 1 + \# \text{ sec vtx}$$

All 97-98 Data
All 97-98 MC



5 bin fit:

$$\text{MC Bkgd} = 0.034$$

$$A = 0.0525 \pm 0.0116$$

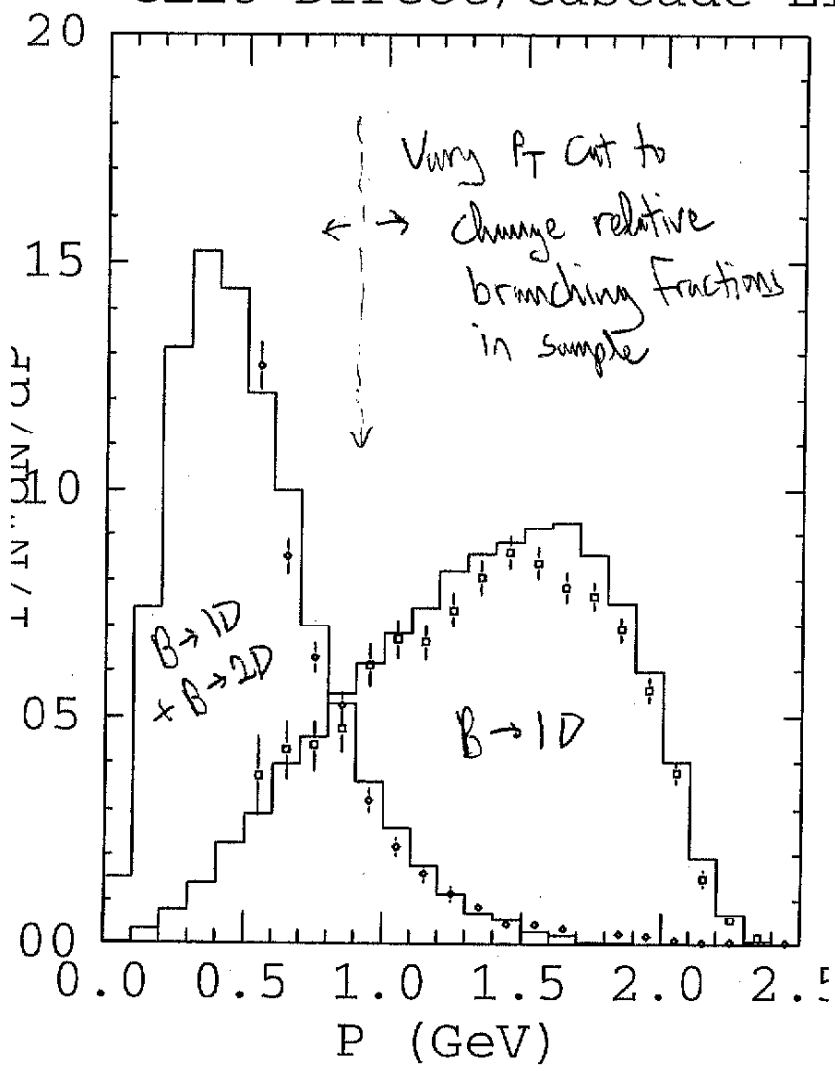
$$B = 0.7587 \pm 0.0265$$

$$C = 0.1884 \pm 0.0164$$

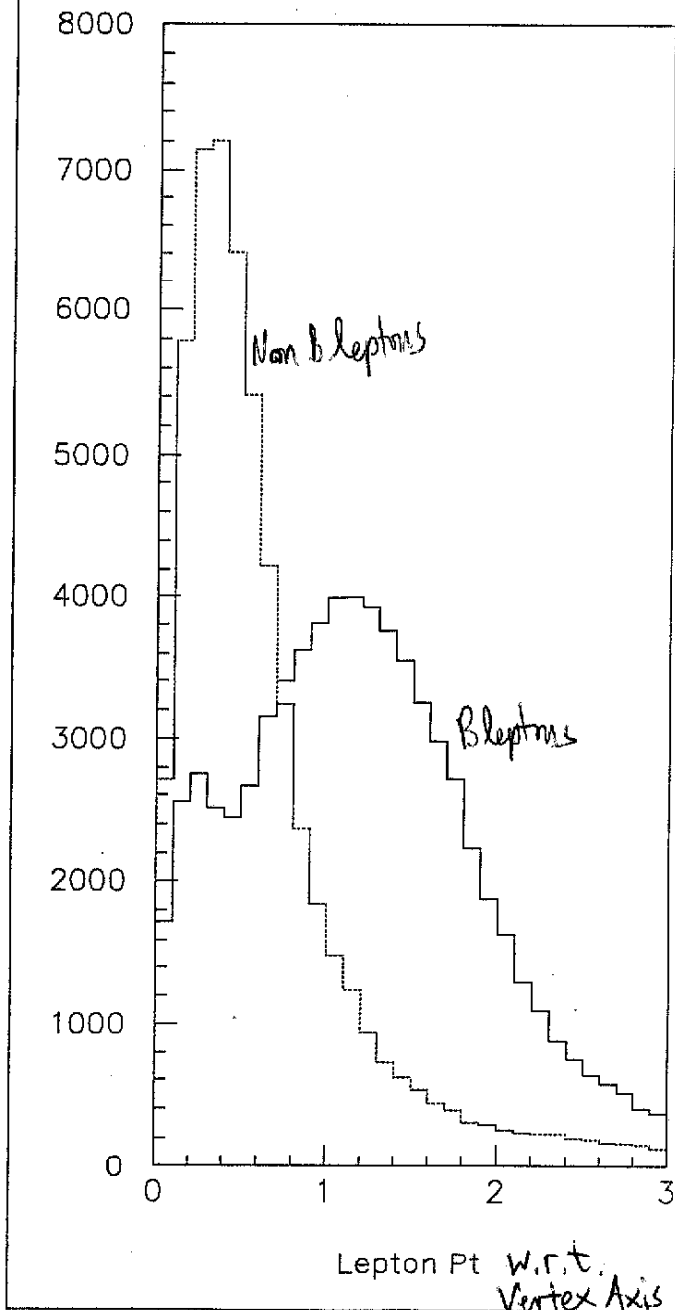
$$\chi^2 = 1.04 / 1 \text{ d.o.f.}$$

Alan Brune

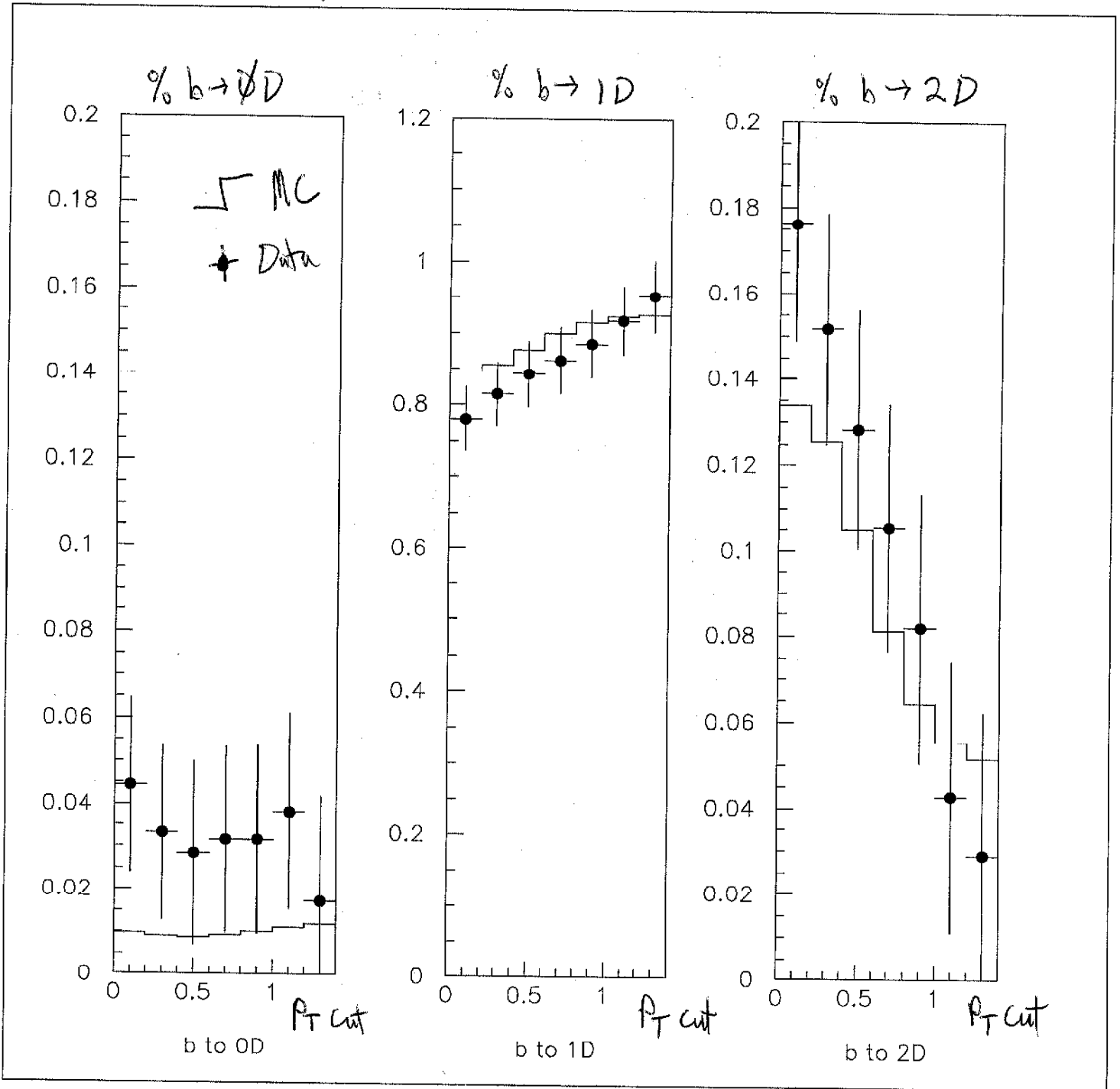
CLEO Direct/Cascade E1



SLD MC B/non B leptons



Adjusted
Measuring Branching Fractions with Varying High- P_T lepton cut



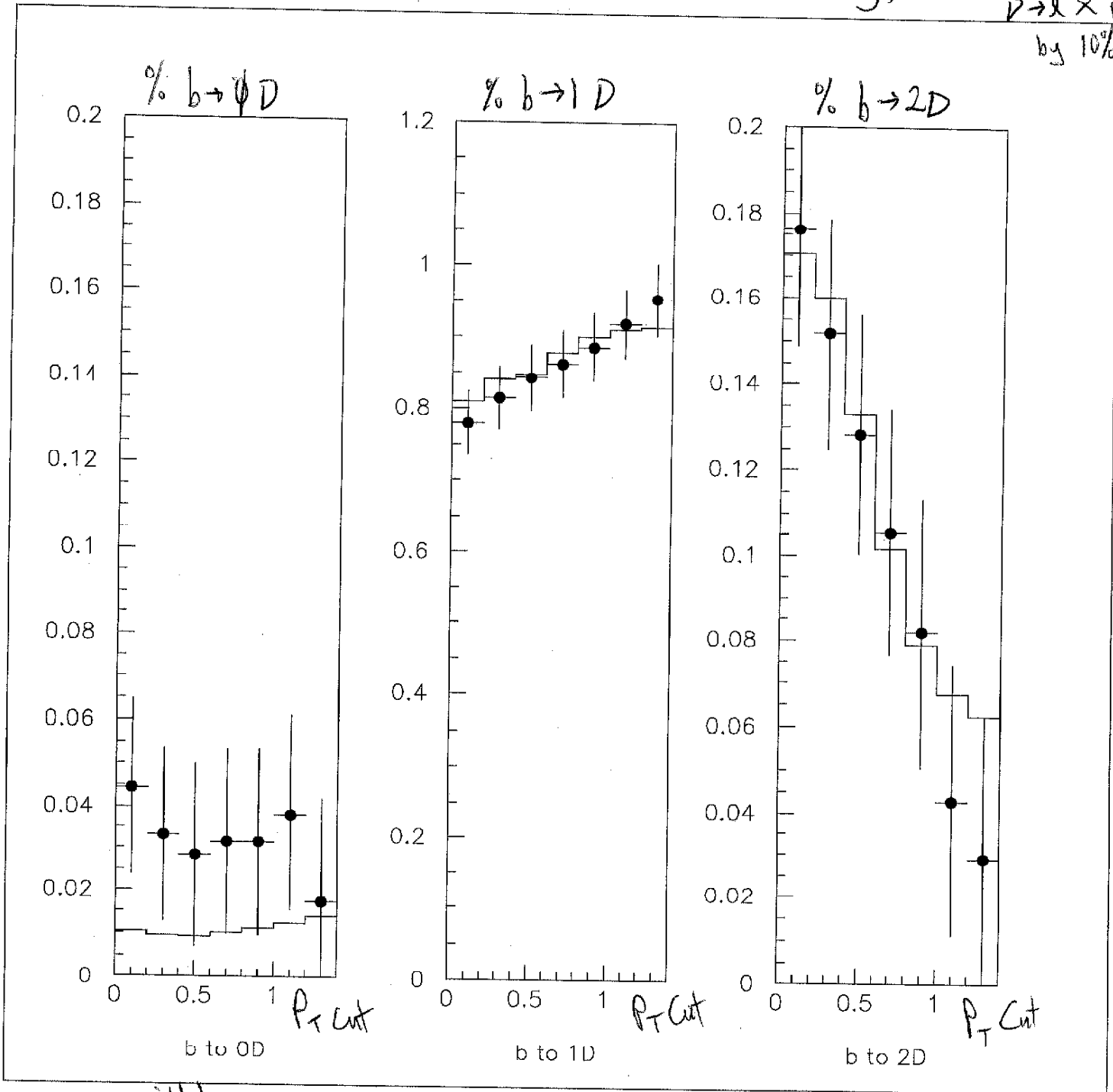
Using MC fractions:

$b \rightarrow 0D$	0.022	} \approx default MC
$b \rightarrow 1D$	0.772	
$b \rightarrow 2D$	0.172	
bkgd	0.034	

Twiddle MC ^{branching} fractions to get slopes right

12/7/99 (6)

(Alternatively, twiddle $B \rightarrow l \bar{l}$
 $D \rightarrow l \bar{l} \times$ rates
 by 10%)



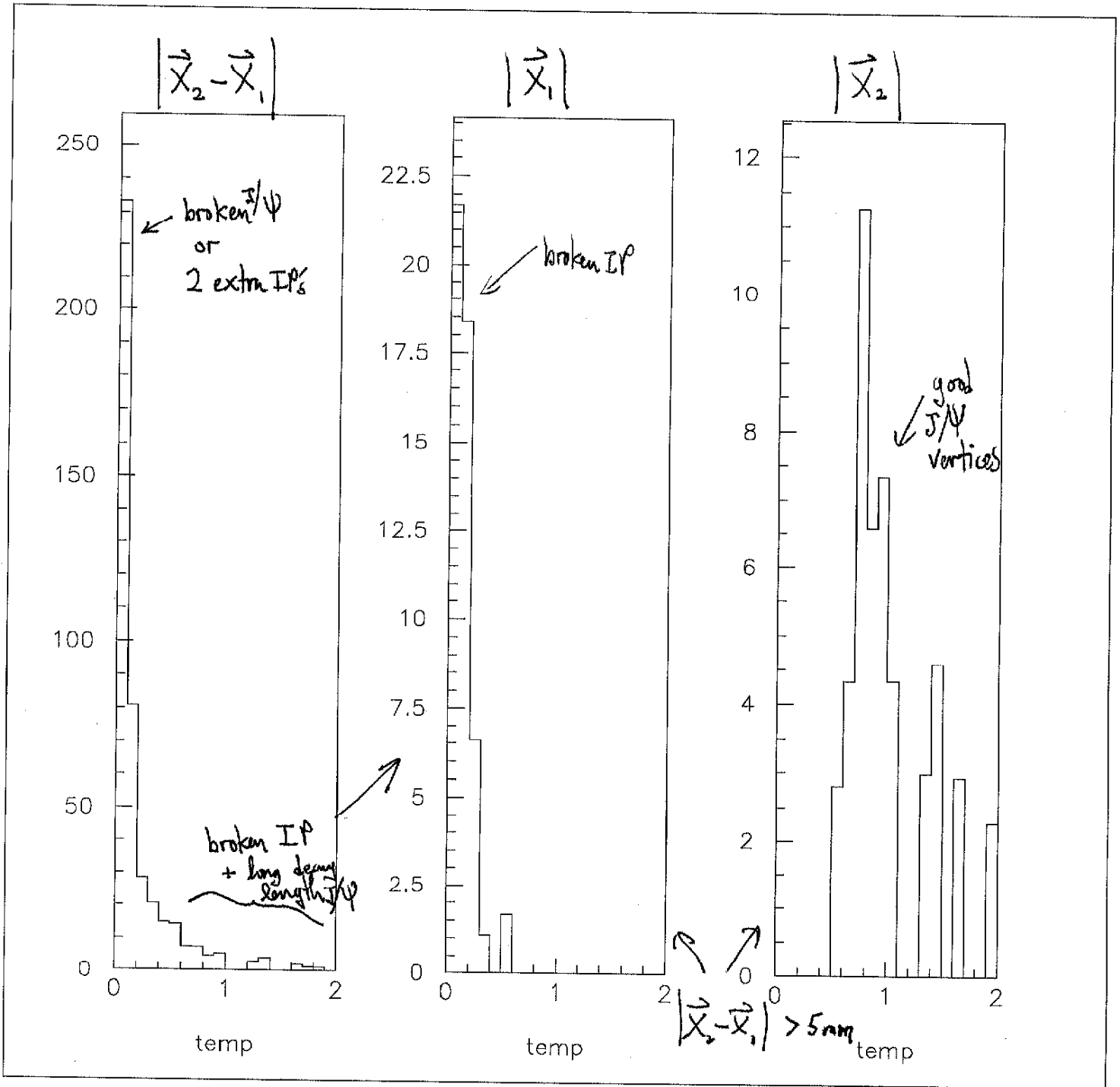
Using ^{weighted} MC fractions

$B \rightarrow l \bar{l}$ 0.034
 $b \rightarrow \phi D$ 0.022
 $b \rightarrow 1 D$ 0.742
 $b \rightarrow 2 D$ 0.202

} ≈ 0.030 change still consistent with measured values

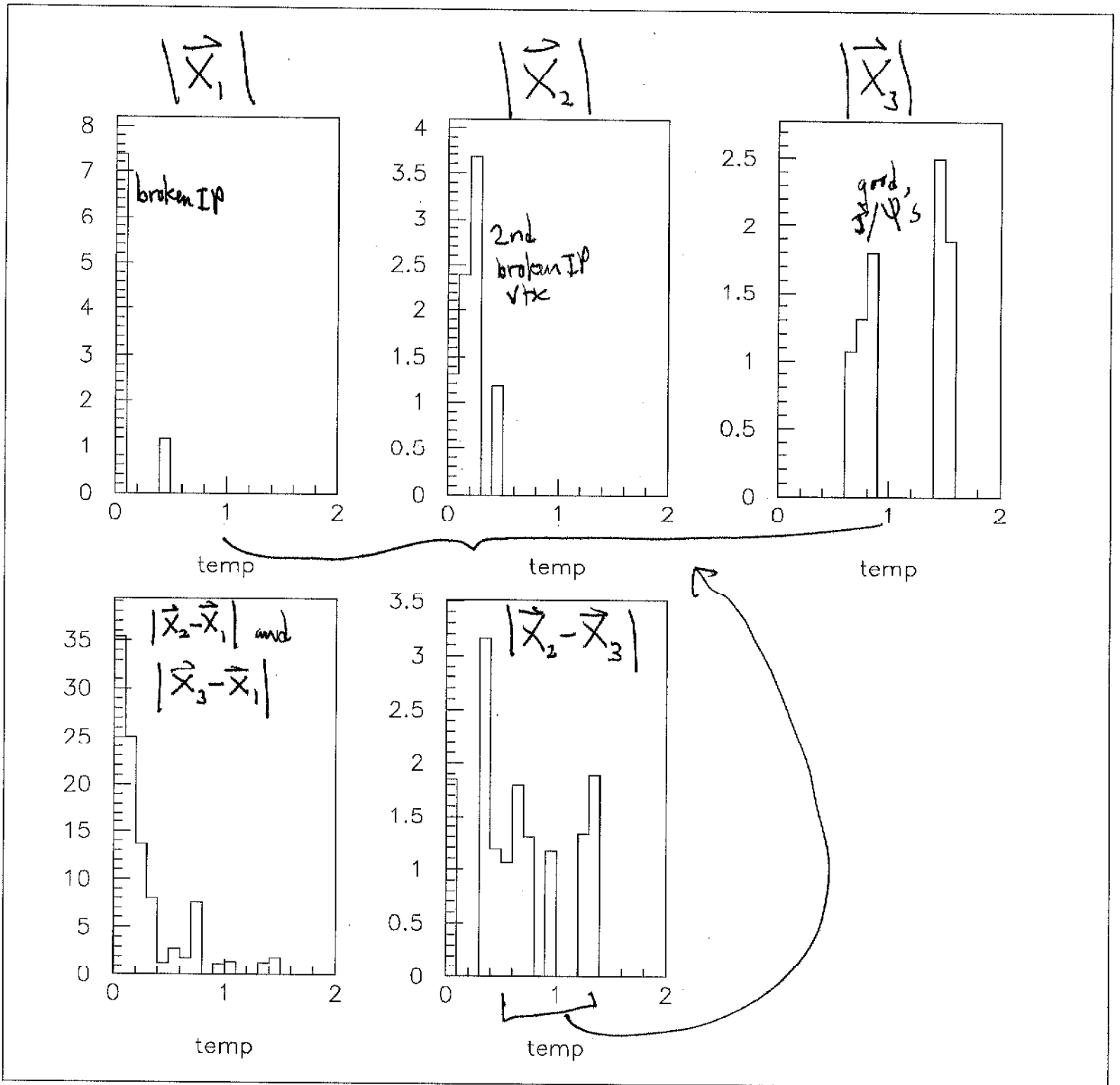
Charmonium \rightarrow 2 ^{sec.} vtx

7



Charmonium \rightarrow 3 sec. vtxs

(8)

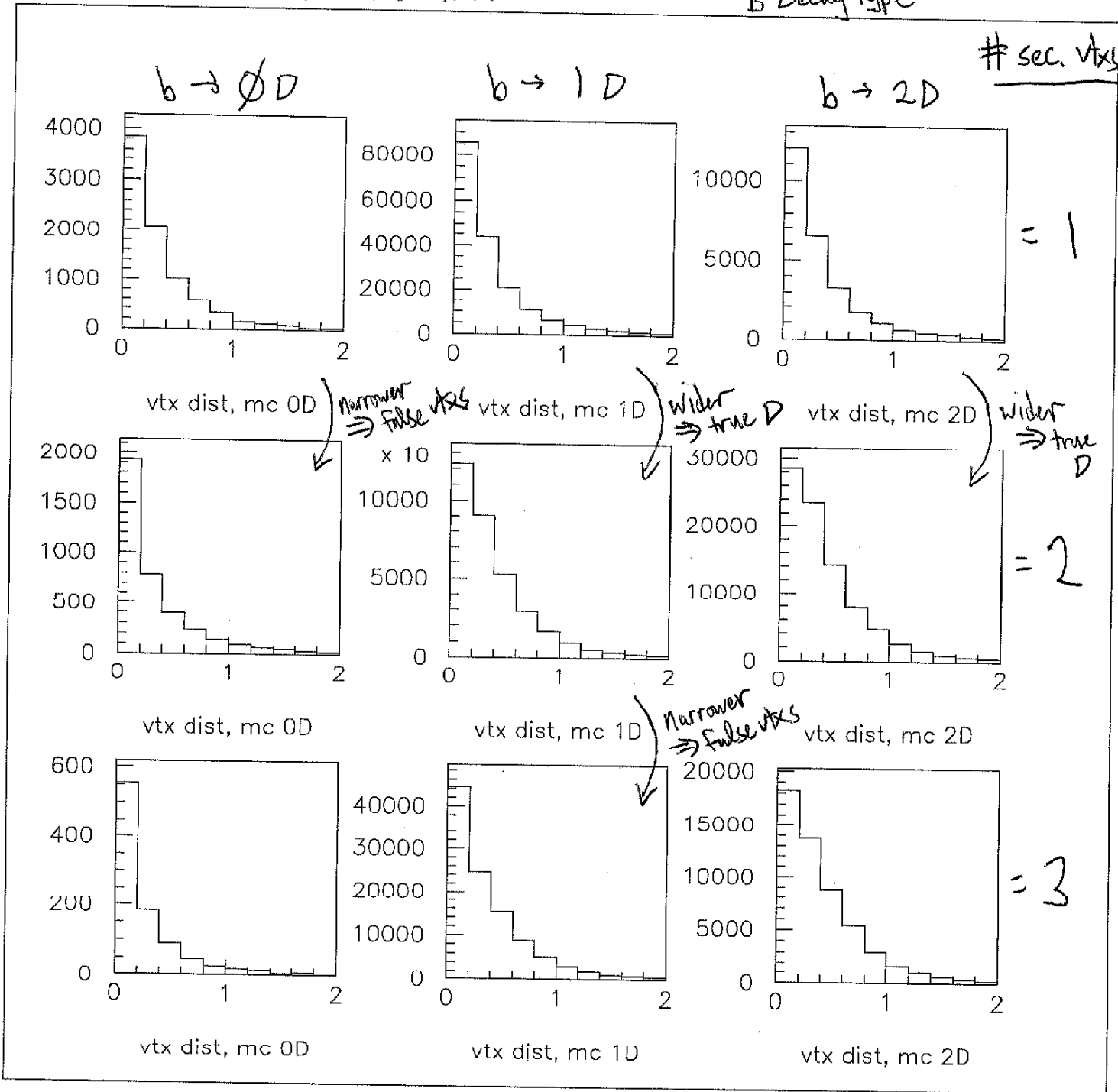


\Rightarrow Extra vertices are consistent with "broken vtx" hypothesis. Presumably this is caused by tails of Impact Param. dist. and IP jitter.

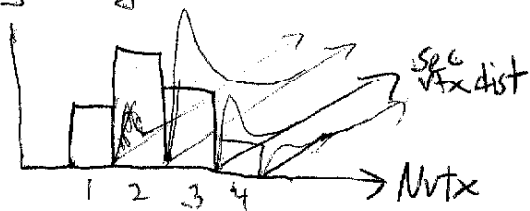
Total # Sec vtxs

Sec. Vertex Distances from IP

B Decay Type



Get roughly orthogonal variable for fit.



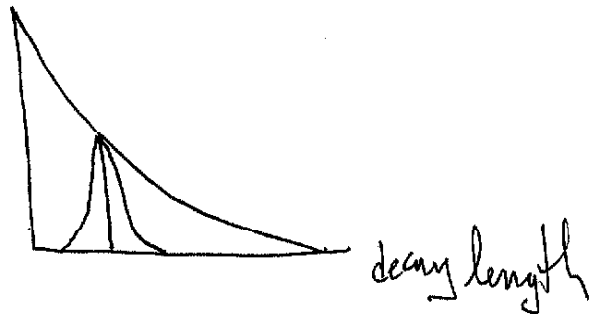
Why histogram this way?

(10)

Poor control of the track resolution and the estimated error

causes vertices to be accidentally broken up.

→ Assume a Gaussian broadening of the decay length distribution



Unbroadened $b \rightarrow \phi D$ events will stay in the $N_{sv} = 1$ histogram while the broadened distribution will spill over into the $N_{sv} = 2, 3$ histograms.

And similarly for $b \rightarrow 1D, 2D$.

⇒ These histograms contain info about:

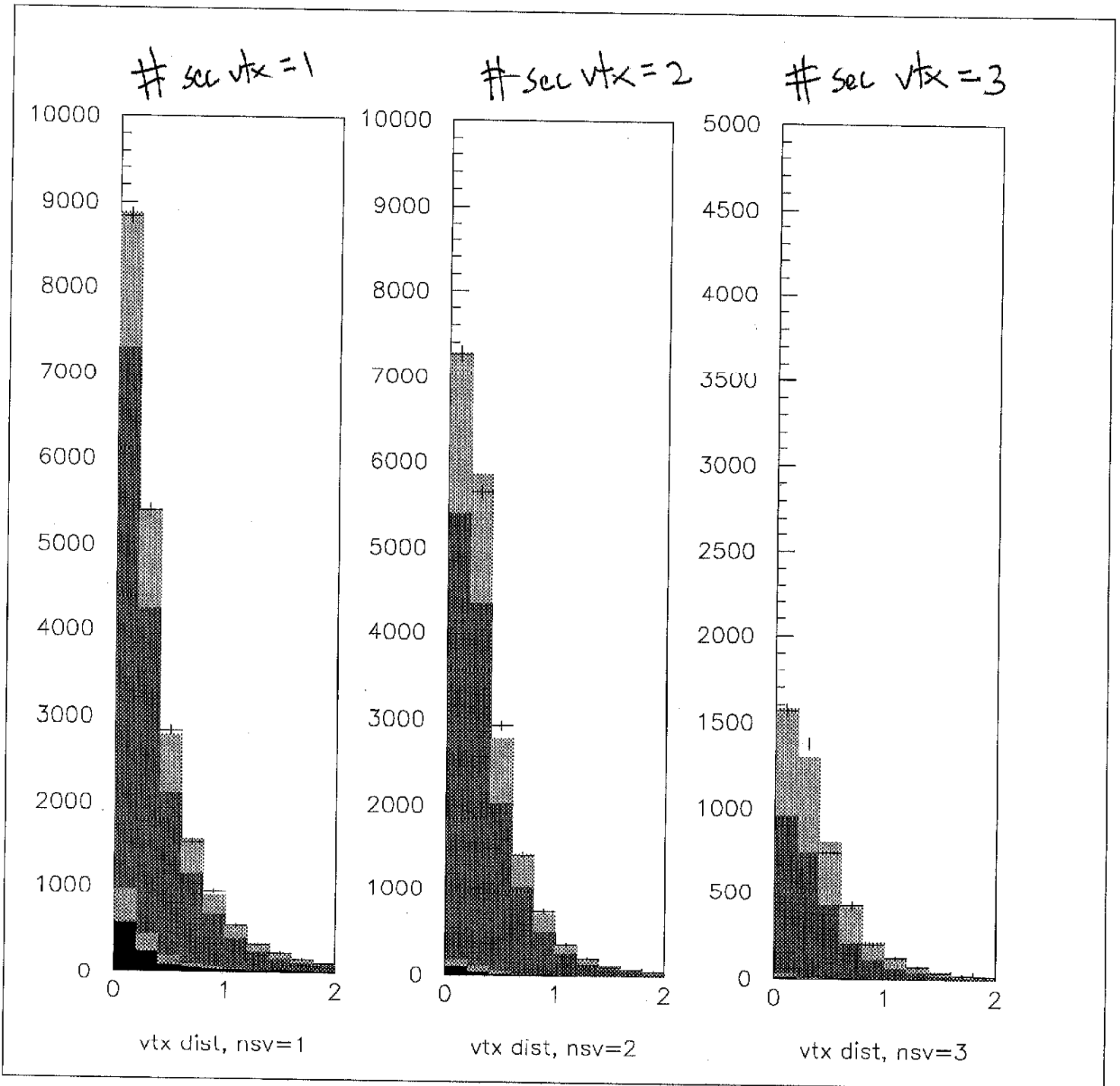
B, D boosts, lifetimes, track resolution

in addition to the charm yield.

4 parm

Fit to Data radial decay length dists. + #sec vtx=0 bin

(11)



$b \rightarrow$ bkgd frac: 0.061 ± 0.004
 ϕD 0.026 ± 0.013
 $1 D$ 0.753 ± 0.021
 $2 D$ 0.221 ± 0.013

all 97-8 data

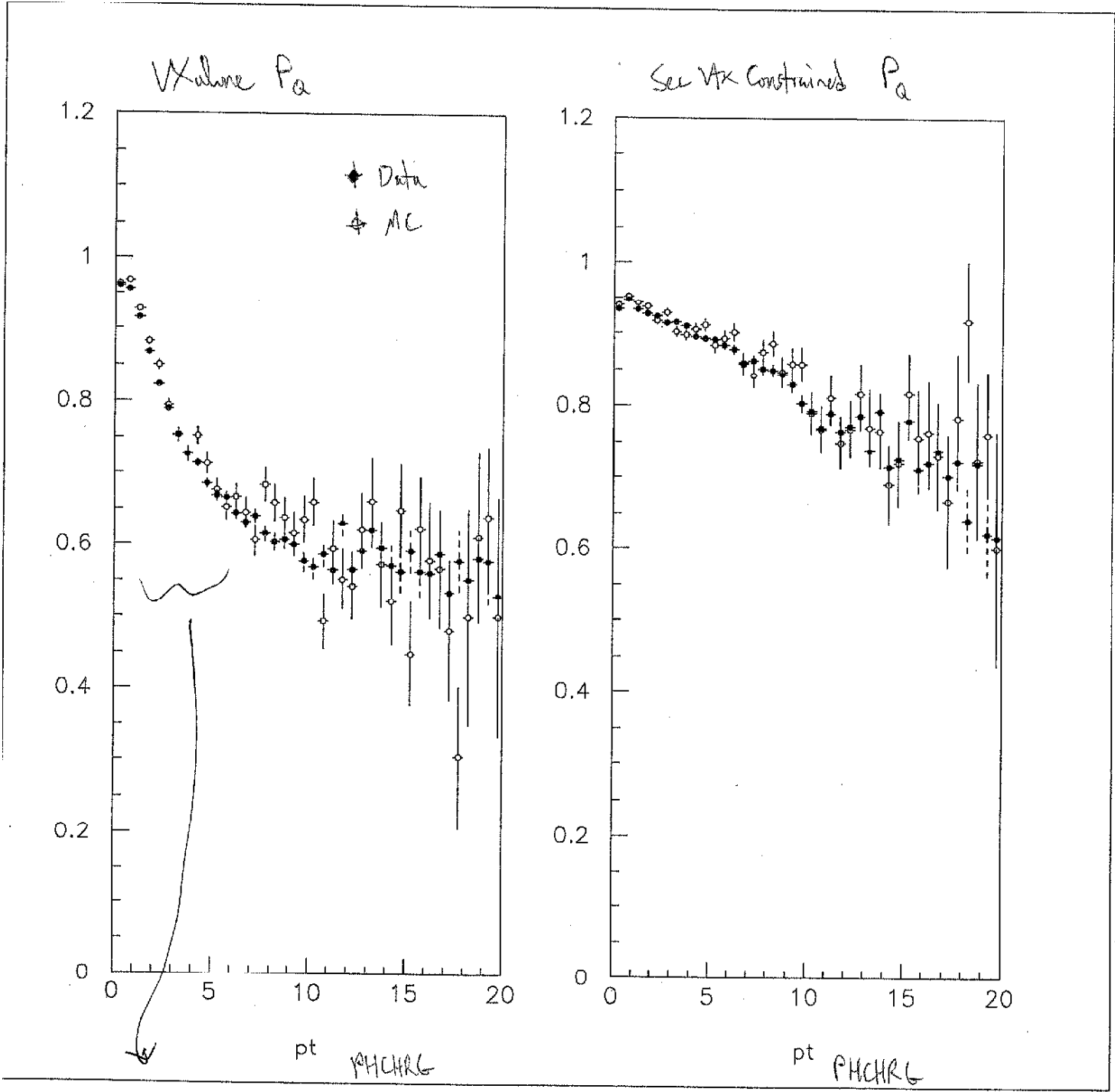
$\chi^2_{27/26} = 1.6$ (27 dof)

0.071 ± 0.005
 0.033 ± 0.015
 0.731 ± 0.026
 0.235 ± 0.016

only events without vertexed VX0Vs

$\chi^2_{27} = 1.6$

VXOV
 Fixed Charge purity vs P_T using Free linked fits



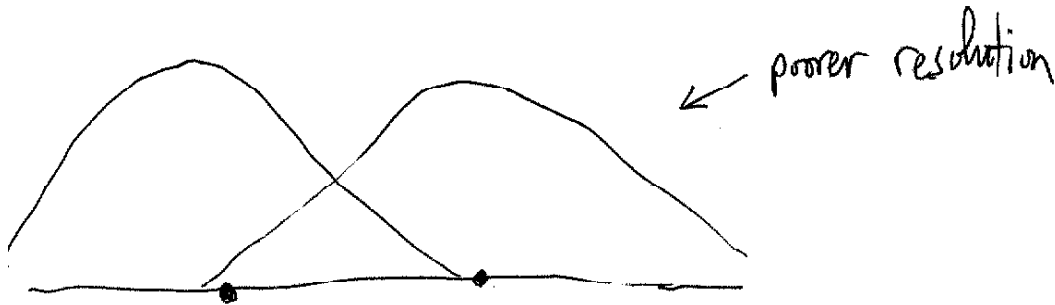
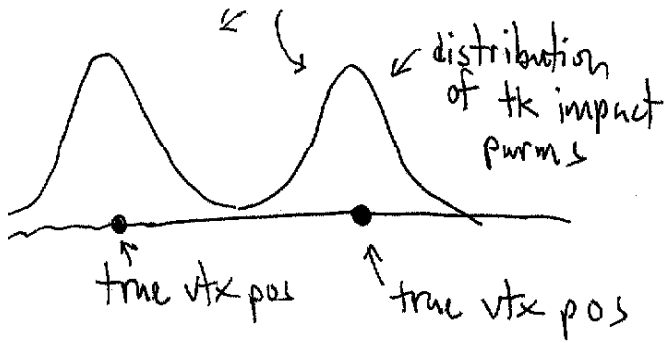
⇒ δ cluster resolution $\lesssim 0.5$ mm

Is the resolution too good in the MC?

Impact Param. Resolution

← i.e. estimated resolution

Resolution and Tk errors are 2 separate issues.



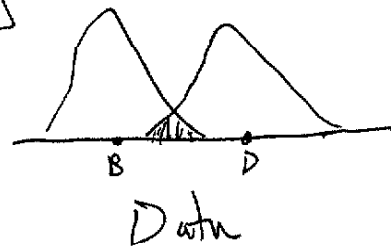
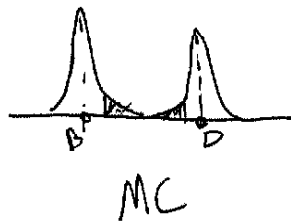
Adjusting tk errors will help model the resolution better, but resolution tuning can only really be done at the MC generator level. (Or, if we are lucky and MC res is better than data res, smear the tk params and reswin!)

Quick solution

Vertices are formed using the criterion $\text{Prob}(\chi^2, \# \text{dof.})$

$$\text{where } \chi^2 \sim \left(\frac{X_{\text{meas}} - X_{\text{true}}}{\sigma} \right)^2$$

If we have a B and a D decay



then we can use $\sigma_{\text{MC}} \rightarrow \sigma_{\text{MC, eff}}$ to tune the fraction of separated vertices.

$$\chi_{\text{MC}}^2 \rightarrow \chi_{\text{MC, eff}}^2, \quad \text{Prob}_{\text{MC}} \rightarrow \text{Prob}_{\text{MC, eff}}$$

\Rightarrow Use different probability cuts on data and MC.

(An easy way to do this is to call ZVTP3 several times in each tagged hemi. and request $\# \text{vtx} = 1, 2, 3, 4, 5$, each time storing the value of the smallest vtx probability. Then, at the ntuple stage, set your pcut and loop through the vtx array until you get a satisfactory collection.)

Jun 09, 00 9:16

ipres=0.05
pcutd,mc=0.01

CHISQUARE = 0.1554E+01
VOUT(1) = 0.0231149
VOUT(2) = 0.734369
VOUT(3) = 0.24195
VOUT(4) = 0.0736518
VOUTE(1) = 0.0156819
VOUTE(2) = 0.0267471
VOUTE(3) = 0.0167053
VOUTE(4) = 0.00564953

pcutd,mc=0.005

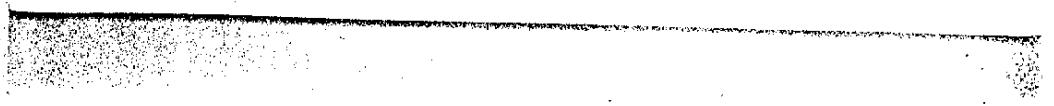
CHISQUARE = 0.1513E+01
VOUT(1) = 0.025126
VOUT(2) = 0.743149
VOUT(3) = 0.231043
VOUT(4) = 0.0718556
VOUTE(1) = 0.015641
VOUTE(2) = 0.0268081
VOUTE(3) = 0.0166471
VOUTE(4) = 0.00558117

pcutd,mc=0.02

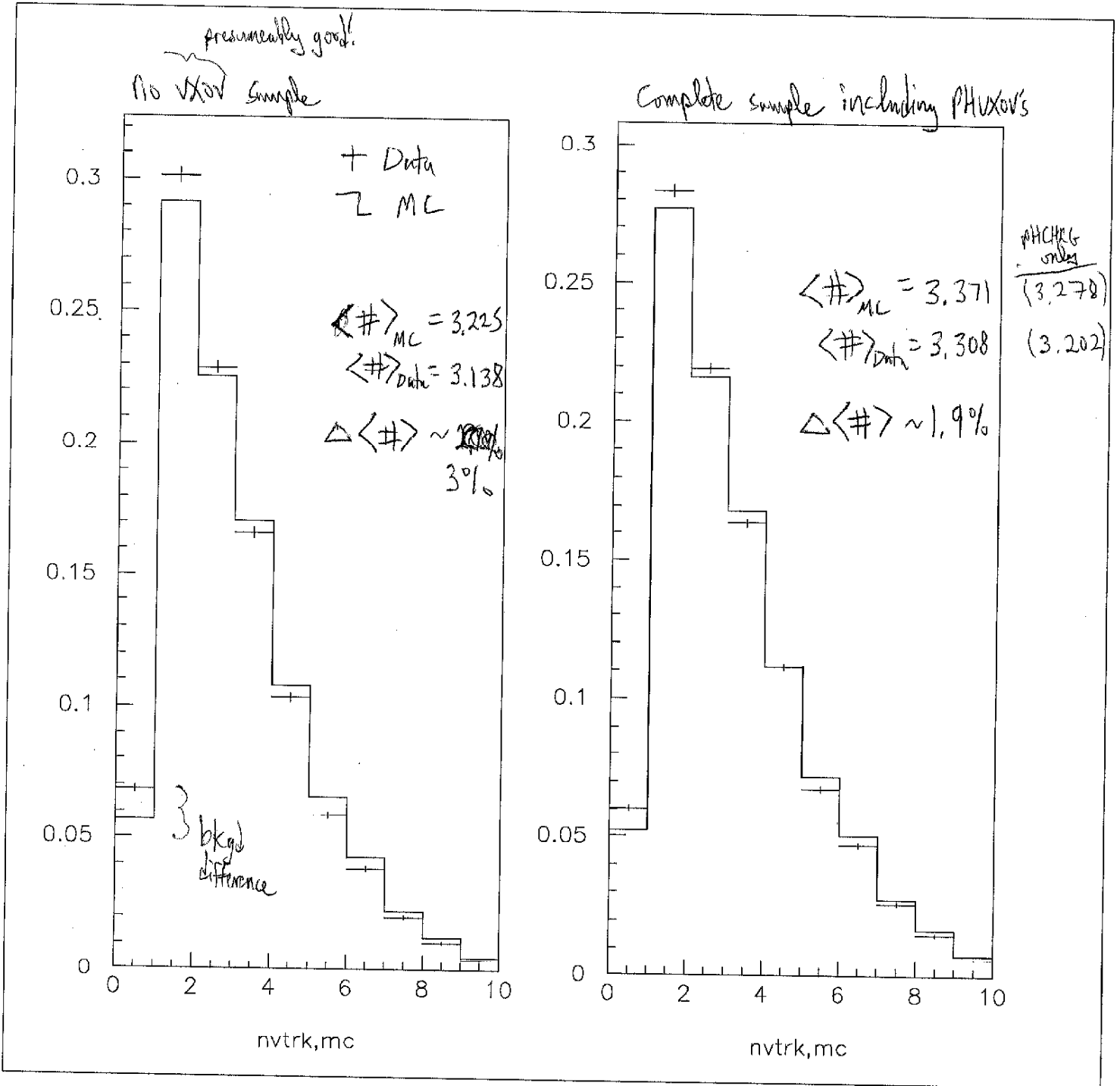
CHISQUARE = 0.1553E+01
VOUT(1) = 0.0103017
VOUT(2) = 0.755139
VOUT(3) = 0.234297
VOUT(4) = 0.0746305
VOUTE(1) = 0.0162161
VOUTE(2) = 0.0269708
VOUTE(3) = 0.0166419
VOUTE(4) = 0.00570963



χ^2_{cut}	$\chi^2_{mc cut}$	$F + \chi^2$	Measure
4	4.0	1.107	0.024 0.779 0.197 0.022
4.049		1.106	0.772 0.206
4.05		1.100	0.024 ± 0.012 0.772 ± 0.022 0.206 ± 0.012
4.051		1.104	0.022 0.772 0.206
3			
3.045		1.683	0.021 0.755 0.223
3.046		1.680	0.021 ± 0.012 0.755 ± 0.021 0.223 ± 0.012
3.047		1.682	0.022 0.754 0.224
3.0		1.719	0.023 ± 0.012 0.767 ± 0.021 0.209 ± 0.012



#^{sec.} VTXed Tks in hemisphere



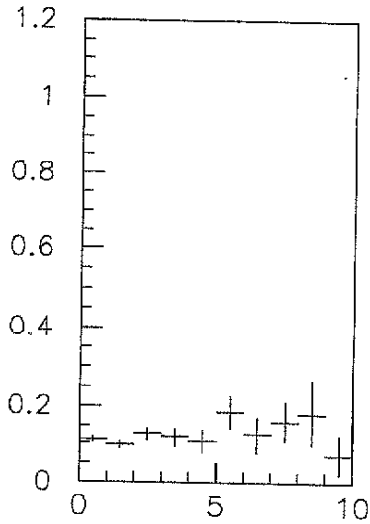
⇒ Data has lower mult. than MC.

⇒ TK ϵ corr should be ≈ 0.1 vtxed tk/hemi rather than .5 tk/cut

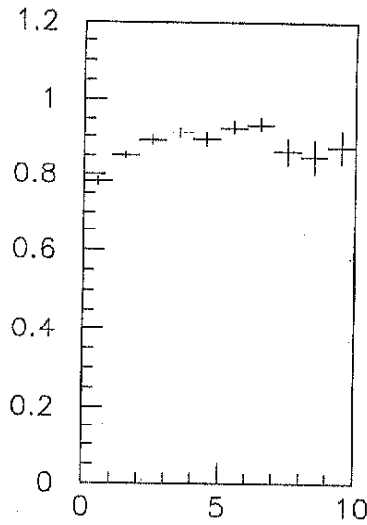
Track Attachment

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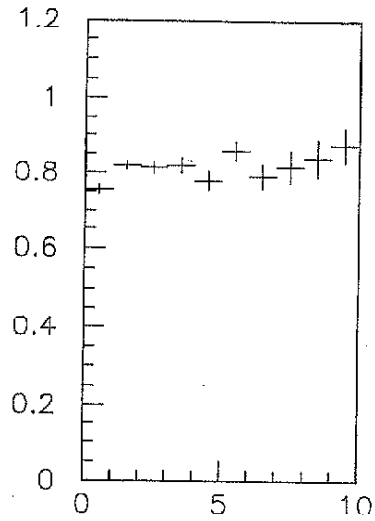
IP \rightarrow sec rate



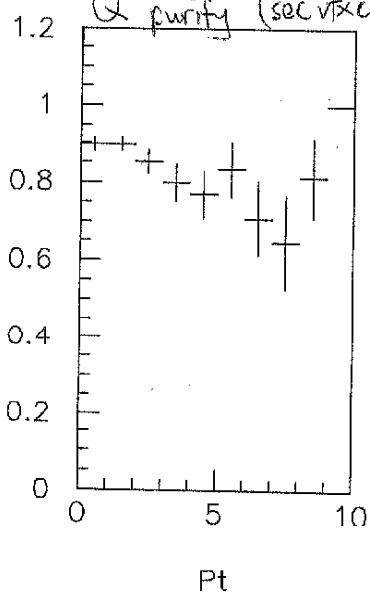
sec \rightarrow sec Rate



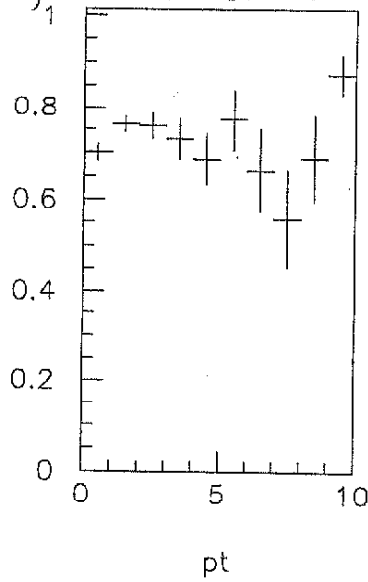
For sec \rightarrow sec Hqs,
B \rightarrow B, D \rightarrow D rate



Q purity^{pt} (sec vtx constraint)



Correct Q ^{pt} sec \rightarrow sec



Correct Q ^{pt} B \rightarrow B, D \rightarrow D

